Education-composition Effect On The Sex Gap In Life Expectancy:

Evidence from Australia

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Rationale

- How does life expectancy sex gap prevail across different sub-national levels in Australia?
- How does this dynamic at the sub-national level affect the life expectancy sex gap at the national level?



Australian National University

Remaining Life expectancy at 25 and Sex Gap Trends, Australia 2016



Source: Calculation based on HMD(2021)

Remaining Life expectancy at 25 and Sex Gap Trends, Australia 2016



Source: Calculation based on HMD(2021)



Time trends in life expectancy sex gap at age 25, 1945-2020

Source: Calculation based on HMD(2021)

Looks good, but?



Data

Death registration in 2016-2017 linked to Census 2016 results through Multi-Agent Data Integration Project (MADIP) (Korda et al., 2020; Welsh et al., 2021)

Number of deaths and Population estimates for each education levels smoothed with Penalized-composite link model (Rizzi et al., 2015).



Why Education?



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Life expectancy sex gap by education level, 2016

Source: MADIP (2021)



Methods



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$$m(x) = \sum_{i} m(x,i)c(x,i)$$

m(x, i) is sub-population-specific mortality rates, and c(x, i) is sub-population composition



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Source: Calculation based on MADIP (2021)

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Figure 1. Population pyramid from age 25 by education level, Australia 2016

Source: Calculation based on MADIP (2021)

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How would this change anything?



$\dot{e}_{25} = \Delta mortality + \Delta composition$



$$\dot{e}_{25} = -\int_{25}^{\omega} \sum_{i} e^{-\int_{25}^{x} \sum_{i} m_{a,i} c_{a,i} \, da} \int_{25}^{x} \dot{m}_{a,i} c_{a,i} \, da \, dx$$
$$-\int_{25}^{\omega} \sum_{i} e^{-\int_{25}^{x} \sum_{i} m_{a,i} c_{a,i} \, da} \int_{25}^{x} m_{a,i} \dot{c}_{a,i} \, da \, dx$$



Female life expectancy	59.91 (59.84, 59.97)
Male life expectancy	56.06 (56.00, 56.13)
∆ Mortality	4.45 (4.36, 4.54)
\varDelta Composition	-0.67 (-0.67, -0.66)
Total	3.78 (3.69, 3.87)

The negative composition effect



Post-secondary Secondary





	B. Hypothetical Scenario
Female life expectancy	61.86 (61.80, 61.91)
Male life expectancy	57.71 (57.64, 57.77)
∆ Mortality	3.73 (3.65, 3.82)
\varDelta Composition	0.41 (0.40, 0.41)
Total	4.14 (4.05, 4.23)

Increasing life expectancy.

Widening gap and positive composition effect.



Discussion

1. The importance of SES composition (e.g. education,

income, occupation).

- 2. Possible scenario for the future
- 3. Heterogeneity, and making public health observations.



Future Directions

Differences across time?

Impact from pandemic?



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